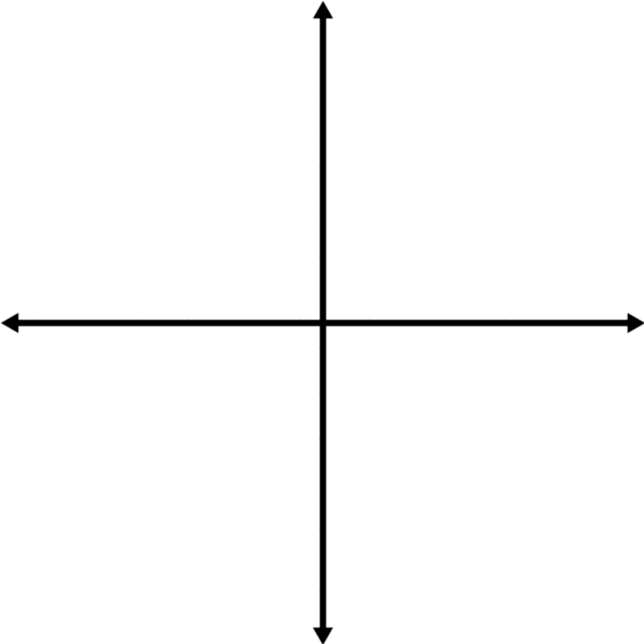
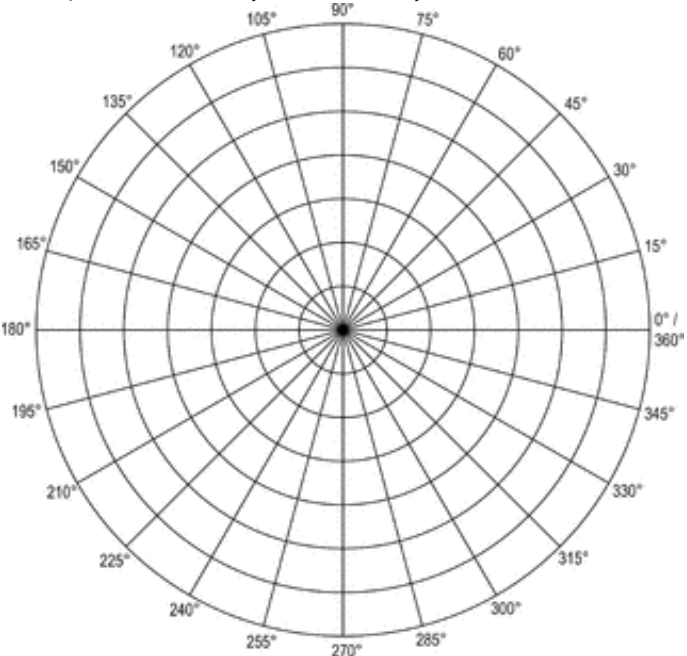


7'.2 Precalculus Review: What is a "Polar Coordinate"?

<p>Rectangular Form: Sketch a random point (x, y)</p>  <p>The x-coordinate tells me _____</p> <p>The y-coordinate tells me _____</p>	<p>Polar Form (r, θ) Example: Plot $(3, 30^\circ)$ and $(-2, 75^\circ)$</p>  <p>The r-coordinate tells me the <u>directed</u> (sign +/- matters) distance from the origin</p> <p>The θ-coordinate tells me angle in standard position that will intersect this point.</p>
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Put r and θ into your rectangular form picture above. Do you see the right triangle above? Copy it here:

<p>Right triangle picture</p> 	<p>Pythagorean theorem:</p> <p>Sine: Cosine: Tangent:</p>
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Converting between polar and rectangular coordinates

$$(x, y) \iff (\quad , \quad)$$

$$(\quad , \quad) \iff (r, \theta)$$

Practice

1. Convert to **rectangular coordinates** using exact values when you can.

$$(-6, -780^\circ)$$

2. Convert to **polar coordinates** with $r \geq 0$ and $\theta \in [0, 360^\circ]$ using exact values when you can.

$$(3, -7)$$

3. Give 5 other ordered pairs in polar coordinates that represent the **same point**. 3 should have $-360^\circ \leq \theta \leq 360^\circ$.

$$(-10, -1000^\circ)$$

4. **Convert** the following equation from polar form to rectangular form and **sketch** its graph.

$$r = 4$$

$$\theta = \frac{\pi}{3}$$

5. **Convert** the following equation from polar form to rectangular form and **sketch** its graph.

$$r = 2\sin\theta - 4\cos\theta$$

6. **Convert** the following equation from polar form to rectangular form and **sketch** its graph.

$$r = \frac{8}{-2\sin\theta + 5\cos\theta}$$